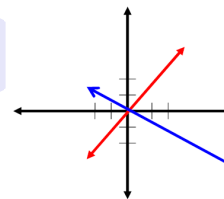


Chapter 7 Systems of Linear Equations



↳ Sec 7.1 to 7.6

Section 7.1, Section 7.2 and Section 7.6

Recall: Solve $3x - 1 = 11$

To solve means to find the value of x that satisfies the equation.

Think About this!

↳ What does it mean to solve $2x + 3y = 3$?

↳ How can we solve the equation $2x + 3y = 3$?

Note:

The only way to solve a linear equation with two variables is to have two equations!

Therefore, we need a **system of linear equations** or a **linear system**.

Example 1: Developing a system of equations

St. John's has two bus sizes for renting Charter buses, a small bus, S , and a large bus, L .

- a) Write an equation to represent there are 20 more small buses than large buses.

- b) Write an equation to represent that the small bus can carry 12 passengers and the large bus can carry 24 passengers. In total 780 people can travel by bus.

- c) Write the system of linear equations.

Note: The solution to this linear system is a point (S, L) , that satisfies both equations.

- d) Is $(35, 15)$ a solution? What does this mean?

In this question you verified a given solution, or point. However, you need to know how to find the solution yourself. How???

The solution to a linear system is the point (x,y) where the two lines intersect.

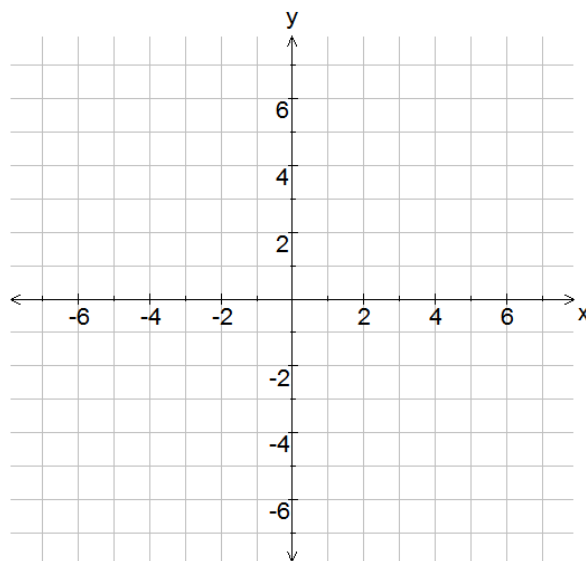
There are three ways to find the solution:

- 1) Graph the lines 2) Elimination 3) Substitution
-

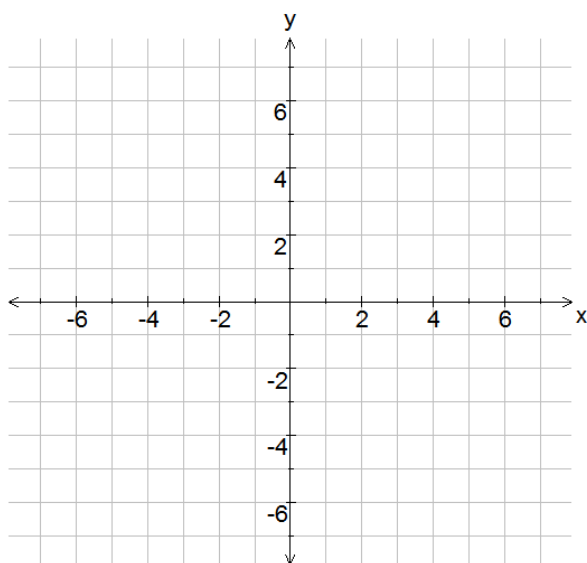
#1: Solving a Linear System by Graphing

Example 2: Solve by graphing.

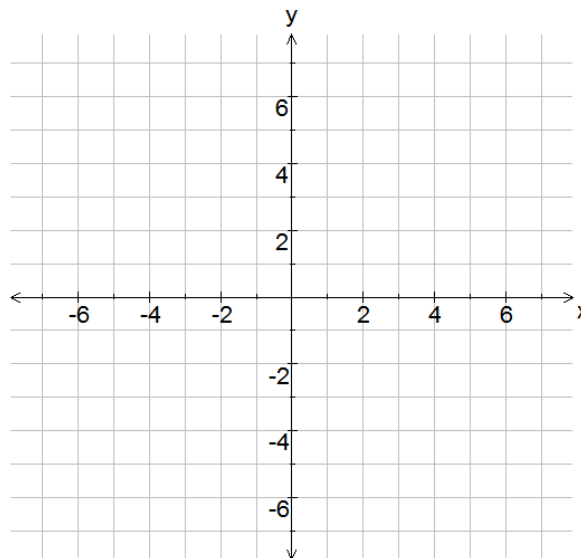
a) $y = 2x + 1$
 $y = \frac{-3}{2}x - 6$



b) $2x + 3y = 3$
 $x - y = 4$

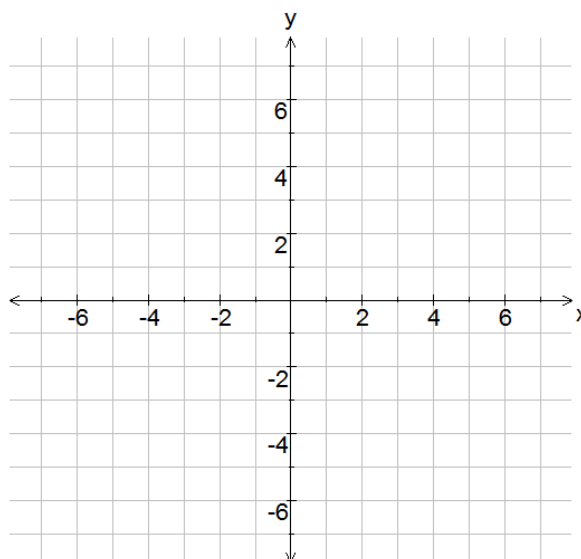


c) $y = 2x - 2$
 $-4x + 2y = 8$



What do you notice?

d) $2y = 4x - 2$
 $y - 2x + 1 = 0$

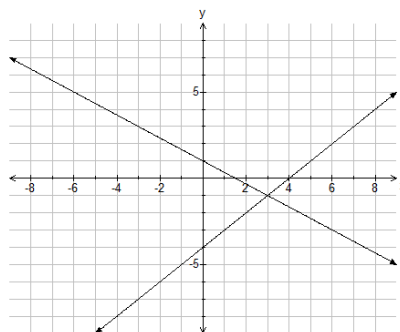


What do you notice?

Summary When solving by graphing there are 3 possibilities:

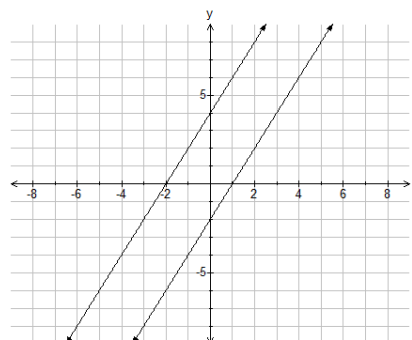
1. Intersecting Lines

- ↳ will have ONE solution.
- ↳ will have different slopes.



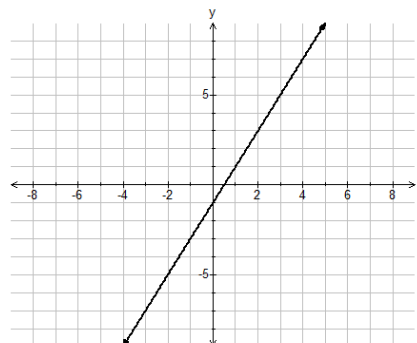
2. Parallel Lines

- ↳ will have NO solution.
- ↳ will have the same slope but a different y-intercept.



3. Coincident Lines

- ↳ will have INFINITE solutions.
- ↳ will have the same slope and the same y-intercept.
- ↳ equations are related by multiplying or dividing by the same number



Work Book Questions

Sec 7.1: p.401 #4, 5ac, 6abc

Sec 7.2: p.408 #3ab, 5a(i)(ii), 7ab

Sec 7.6: p.448 #4a(i)(ii)(iii)(iv) bc ,
5ab, 7abc, 10, 11

Extra Practice Questions

Sec 7.1: p.401 #5b, 8ab

Sec 7.2: p.408 #3cd, 4ab
5a(iii) (iv), 6

Sec 7.6: p.448 #6abc, 9abc,
19a, 20a, 22a (i)(ii)(iii)